TE WHARE WĀNANGA O TE ŪPOKO O TE IKA A MĀUI


TESTS - 2021

## TRIMESTER 2

## SWEN 430

## COMPILER ENGINEERING

## Time Allowed: TWO HOURS

## CLOSED BOOK

Permitted materials: No calculators permitted.
Non-electronic Foreign language to English dictionaries are allowed.

## Instructions: <br> Answer all questions

You may answer the questions in any order. Make sure you clearly identify the question you are answering.

$$
\begin{array}{clc}
\text { Question } & \text { Topic } & \text { Marks } \\
1 . & \text { Grammars and Parsing } & 20
\end{array}
$$

2. Types and Type Checking 20
3. Static Analysis 20
4. Java Bytecode 20
5. Machine Code 20
6. Memory Models 20

Total 120
$\qquad$

1. Grammars and Parsing
(a) Briefly, describe the following components of a compiler.
i. (2 marks) Lexer.

A lexer is responsible for grouping characters into tokens that can then be fed into the parser.
ii. (2 marks) Parser.

A parser is responsible for reading a sequence of tokens and checking whether (or not) they adhere to the grammar of the language in question. A parser typically produces an abstract syntax tree representation.
iii. (2 marks) Abstract Syntax Tree.

An abstract syntax tree is a programmatic representation of source program arranged as a tree.
(b) Consider the following grammar:

i. (4 marks) For each of the following inputs, state whether it would be accepted or not by the grammar:
0
YES
$\square$
$(0,1) \quad$ YES
$\square$

$$
((0,1))
$$

$\qquad$
ii. (4 marks) Provide suitable Java classes for an Abstract Syntax Tree representation of the grammar from page 2,

```
interface Expr {}
class Tuple implements Expr {
    private final Expr lhs, rhs;
    public Tuple(Expr l, Expr r) { lhs = l; rhs = r; }
}
class Number implements Expr {
        private final int n;
        public Number(int n) { this.n = n; }
}
```

$\qquad$
iii. (6 marks) Complete the following class Parser which should implement a recursive descent parser for the grammar given on page 2 :

```
public class Parser {
    private final String input;
    private int offset = 0;
    public Parser(String input) { this.input = input; }
    public Expr parseExpr() {
        char c = input.charAt(offset);
        if(c == '(') { return parseTuple(); }
        else { return parseNumber(); }
    }
    public Expr parseTuple() {
        match('(');
        Expr l = parseExpr();
        match(',');
        Expr r = parseExpr();
        match(')');
        return new Tuple(l,r);
    }
    public Expr parseNumber() {
        char c = input.charAt(offset);
        return new Number(Integer.parseInt("" + c));
    }
    public void match(char c) {
        if(input.charAt(offset++) != c) {
            throw new RuntimeException("error");
        }
    }
}
```


## SPARE PAGE FOR EXTRA ANSWERS

Cross out rough working that you do not want marked.
Specify the question number for work that you do want marked.
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2. Types and Type Checking

Consider the following simple imperative language and its corresponding typing rules.

(a) ( $\mathbf{5}$ marks) For each of the following typing judgements identify a suitable typing environment $\Gamma$, or explain why no such typing environment exists.

$$
\begin{aligned}
& \Gamma \vdash \mathrm{x}=1: \text { void } \\
& \Gamma=\{\mathrm{x} \mapsto \text { int }\}
\end{aligned}
$$

$$
\Gamma \vdash \& i n t \mathrm{x}=\text { new } \mathrm{y} ; \mathrm{z}=* \mathrm{y}: \text { void }
$$

None exists because $y$ cannot be both \&int and int

$$
\begin{aligned}
& \Gamma \vdash \mathrm{x}=\text { new } \mathrm{y} ; * \mathrm{x}: \text { int } \\
& \Gamma=\{\mathrm{x} \mapsto \text { \&int, } \mathrm{y} \mapsto \text { int }\}
\end{aligned}
$$

$$
\begin{aligned}
& \Gamma \vdash \mathrm{y}=\mathrm{x} ; \text { \&int } \mathrm{x}=\text { new } 1: \text { void } \\
& \Gamma=\{\mathrm{x} \mapsto \text { \&int, } \mathrm{y} \mapsto \text { \&int }\} .
\end{aligned}
$$

```
\Gamma\vdashx = y ; y = *x : void
```

None exists because no valid type for x exists (e.g. not $\&$ int, nor $\& \& i n t$, etc)
$\qquad$
(b) Suppose the language were extended with a statement "delete e" which deallocates memory as in WhiLE. For example, "delete p" deallocates the memory referred to by p.
i. (4 marks) Provide a suitable typing rule for this statement.

$$
\frac{\Gamma \vdash \mathrm{e}: \& \mathrm{~T}}{\Gamma \vdash \operatorname{delete} \mathrm{e}: \text { void }}
$$

ii. (5 marks) Executing "\&int p = new 1 ; ... ; delete p" can result in a stuck program. Briefly, discuss what this means using an example to illustrate.

A program is stuck if it cannot continue executing, but has not yet reduced to a value. For example, the sequence "\&int p = new 1 ; delete p; delete p" will become stuck on the last statement since the memory referred to by $p$ was already deallocated.
iii. (6 marks) Introducing the delete statement means the simple progress theorem shown in lectures no longer holds for our language. Briefly, discuss what this means.

The progress theorem states that a well-typed program is not stuck (either its a value $\mathrm{\phi r}$ it can reduce). Unfortunately, the delete statement means that well-typed programs can get stuck. For example, the program "\&int p = new 1; delete p; delete p" is well typed but gets stuck. The reason this happens is that the typing environment doesn't include information about whether heap data has been deallocated or not.
$\qquad$

This question concerns the uniqueness analysis developed for WHILE which determines, at each point, whether or not a variable is defined. A variable is defined after it has been assigned a value, but may become undefined if its value is consumed (e.g. moved to another variable). For simplicity, assume all references $\& T$ are unique references. For example, \&int is a reference to an int variable and, furthermore, must be the only reference to that variable. The following illustrates:

```
&int p = new 123;
&int q;
// p is defined, q is undefined
if x >= 0 {
    q = p;
    // p is undefined, q is defined
}
// p and q are undefined
```

(a) (5 marks) Explain briefly, using an example, why any algorithm for uniqueness analysis must be conservative (i.e. imprecise) in some way.

Static analyses cannot reason with perfect precision, and must draw safe (i.e. conservativ ) conclusions. In uniqueness analysis, for example, the analysis may not know for sure whether a variable was moved or not. But if it thinks it could be, then it must assume it has moved. For example, consider this variation on the program above:

```
assert x < 0;
&int p = new 123;
&int q;
if }\textrm{x}>=0\mathrm{ { q = p; }
```

In this example, we know that $q$ is never moved and, hence, is defined after the last stat $\&-$ ment. But, our uniqueness analysis cannot reason about conditions in this way.
(b) ( 5 marks) Using examples to illustrate, explain briefly why a depth-first traversal algorithm is insufficient for implementing the uniqueness analysis.

A depth-first traversal visits every node in the control-flow graph exactly once. However, this is not sufficient for tracking uniqueness information around loops. Consider the foll lowing:

```
&int p = new 123;
while x < n {
    &int q = p;
}
return p;
```

A depth-first traversal of the CFG for this graph will, in essence, take two paths: $1 \rightarrow 2 \rightarrow$ 5 and $1 \rightarrow 2 \rightarrow 3$. In both of these paths, uniqueness information appears correct. In order to catch the problem, we must propagate information coming out of 3 back around the loop so that it eventually propagates into 5 .
$\qquad$
(c) A variable x is consumed by a statement if it must be undefined after that statement to preserve uniqueness. The method consume (s) returns the set of variables consumed by evaluating statement $s$ $s$.
i. (6 marks) Sketch an implementation of consume (s) for statements $x=e$, assert $e$, delete $e$, expressions $x, x==y$, new e and types int, \&int

You may assume typeOf(x) returns the declared type of a variable $x$

```
consume(assert e) = \varnothing
consume(delete e) = consume(e)
    consume(x = e) = consume(e)
    consume(x == y) = \varnothing
        consume(new e) = consume(e)
            consume(x) = Ø,if typeOf(x)=int
                        = {x},if typeOf(x)=&int
```

$\qquad$
ii. (4 marks) Using consume (s), give appropriate dataflow equations for the uniqueness analysis.

$$
\begin{aligned}
\operatorname{UNIQ}_{\text {IN }}(0) & =\operatorname{ARGS}(0) \\
\operatorname{UNIQ} Q_{I N}(v) & =\bigcap_{w \rightarrow v \in E} \operatorname{UNIQout}(w) \\
\operatorname{UNIQ} Q_{o u t}(v) & =\left(\operatorname{UNIQ} Q_{I N}(v)-\operatorname{consumed}(v)\right) \cup D E F_{\text {AT }}(v)
\end{aligned}
$$

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Cross out rough working that you do not want marked.
Specify the question number for work that you do want marked.
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4. Java Bytecode
(a) Consider the following method written in Java bytecode:

```
boolean f(int[], int);
iconst_0
istore_3
iload_3
aload_1
arraylength
if_icmpge 24
aload 1
iload_3
10: iaload
11: iload_2
12: if_icmpne 17
15: iconst_1
16: ireturn
17: iload_3
18: iconst_1
19: iadd
20: istore_3
21: goto 2
24: iconst_0
25: ireturn
```

i. ( 5 marks) In the box below, give Java source code equivalent to the bytecode above:

NOTE: Appendix A on p21 provides an overview of bytecode instructions for reference.

```
public boolean contains(int[] items, int item) {
    int i = 0;
    while(i < items.length) {
        if(items[i] == item) {
                return true;
            }
            i= i + 1;
        }
    return false;
    }
```

$\qquad$
(b) (2 marks) Branch instructions in Java bytecode use relative addressing. Briefly, explain what this means.

Relative addressing means that the operand in the instruction identifies the target address as an offset from the current bytecode. The alternative is absolute addressing where the full address is encoded in the instruction.
(c) ( 6 marks) Using an example to illustrate both Java source and the generated bytecode, explain what is meant by the term short circuiting.

Short circuiting is where the right-hand side of a logical operator (e.g. \& \& ) is not executed when the outcome of the operator is already known. For example, consider this program:

```
public int filter(int item) {
    if(item < 0 || item > 16) { return 0; }
    else { return item; }
}
```

This would be translated into something like this:

```
1 0: iload_1
2 1: iflt 10
3 4: iload_1
4 5: bipush 16
5 7: if_icmple 12
6 10: iconst_0
```

We see that if the first condition is true, the second condition is not even evaluated.
$\qquad$
(d) (7 marks) Translate the following method into Java bytecode:

```
public void fill(int[] items, int item) {
            for(int i=0;i!=items.length;i=i+1) {
            items[i] = item;
        }
}
```

```
public void fill(int[], int);
    iconst_0
    istore_3
    .L1
    iload_3
    aload_1
    arraylength
    if_icmpeq L2
    aload_1
    iload_3
    iload_2
    iastore
    iload_3
    iconst_1
    iadd
    istore_3
    goto L1
.L2
    return
```


## SPARE PAGE FOR EXTRA ANSWERS

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5. Machine Code

Consider the following program written in While:

```
int max(int x, int y) {
    if(x < y) { return y; }
    else { return x; }
}
```

(a) ( 6 marks) In the box below, translate the above program into X86_64 machine code. You should assume: (1) parameters $x$ and $Y$ are passed in the $\% r d i$ and $\% r s i$ registers respectively; (2) the return value is passed in the $\%$ rax register; (3) all other registers are callee-saved.

NOTE: Appendix B on page 22 provides an overview of $x 86 \_64$ instructions for reference.

```
max:
    cmpl %rdi, %rsi
    jge .L2
    movl %rdi, %eax
    ret
.L2:
    movl %rsi, %eax
    ret
```

$\qquad$
(b) On X86_64, the rbp register normally holds the frame pointer.
i. (4 marks) Briefly, discuss what the frame pointer is used for.

The frame pointer points to the start of the method's stack frame, and is used to access local variables to the method stored on the stack frame. Space may also be used for parameters and return values if/when these are not being passed in registers.
ii. (4 marks) Briefly, discuss whether a frame pointer is needed for method max ()

A framepointer is not required for method max () because all local variables can be stored in registers and, hence, a stack frame is not required.
(c) ( 6 marks) Briefly, discuss why register allocation is important for the performance of compiled programs.

Register allocation is important because reading / writing values from registers is mudh faster than from main memory. Thus, allocating variables into registers improves overall performance, especially if those variables are accessed many times. For example, if the e is a loop then it is desirable to have all variables used in that loop stored in registers.
$\qquad$
(a) In the following litmus tests, x and y are shared variables, whilst r 1 and r 2 are local variables. Assume all variables are initialised with 0 .
i. (5 marks) Under the Sequential Consistency model, can executing following program ever leave both $r 1=1$ and $r 2=1$ at the end? Justify your answer.

| Thread 1 | Thread 2 |
| :--- | :--- |
| $\mathrm{r} 1=\mathrm{x} ;$ | $\mathrm{r} 2=\mathrm{y} ;$ |
| $\mathrm{y}=1 ;$ | $\mathrm{x}=1 ;$ |

No. Either $r 1=x$ or $r 2=y$ is always executed before the other instructions and, hence, either $r 1$ or $r 2$ must be zero.
ii. (5 marks) Under the Total Store Ordering (TSO) model, can executing the following program ever leave both $r 1=0$ and $r 2=0$ at the end? Justify your answer.

| Thread 1 | Thread 2 |
| :--- | :--- |
| $y=1 ;$ | $x=1 ;$ |
| $r 1=x ;$ | $r 2=y ;$ |

Yes. Assume the sequence $y=1 ; x=1 ; r 1=x ; r 2=y$; . Under TSO, both writ $\$ s$ to $x$ and $y$ maybe stuck in the store buffer when both $r 1=x$ and $r 2=y$ are executed.
$\qquad$
(b) A data race can occur when two threads access the same shared variable at the same time.
i. ( 2 marks) Can a data race occur if both threads read from the shared variable?

No, at least one write is required for a data race.
ii. (2 marks) Briefly, discuss how data races can cause variables to be assigned unexpected values.

If a variable is read and written at the same time, this can result in tearing. Specifically, where the value read contains part of the old value and part of the new value.
(c) ( 6 marks) Let $[$ be an instance of Channel (defined below) and suppose Thread 1 repeatedly calls C.write (1) and Thread 2 repeatedly calls c.read().

```
class Channel {
    private int value = 0;
    private volatile boolean ready = false;
    public void write(int v) {
        value = v;
        ready = true;
    }
    public int read() {
        while(!ready) { }
        return value;
} }
```

On Java 5 (or later) can Thread 2 ever read the value 0 ? Justify your answer.
No. Since ready is marked volatile this has a synchronising effect in Java 5 or later. In effect, this means any access to this variable introduces a memory barrier which synchronises all cached variables with main (i.e. shared) memory. For example, on X86 this would result in the store buffer for each processor being flushed.
$\qquad$

## SPARE PAGE FOR EXTRA ANSWERS

Cross out rough working that you do not want marked.
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## Appendix A: Java Bytecodes

| aaload | Load reference element from array onto stack. | $\ldots$, aref, index $\Rightarrow$, ., ref |
| :---: | :---: | :---: |
| aastore | Store reference element into array from stack. | $\ldots$, .., ${ }^{\text {ef, index, val } \Rightarrow}$ |
| aload $n$ | Load reference from local variable $n$ onto stack. | $\ldots \Rightarrow$...,ref |
| areturn | Return reference from method. | $\ldots$, ref $\Rightarrow \ldots$ |
| arraylength | Push array length on stack. | ..., aref $\Rightarrow$. . . int |
| astore $n$ | Store reference into local variable $n$ from stack. | $\ldots, \mathrm{ref} \Rightarrow \ldots$ |
| bipush c | Load integer byte constant c onto stack. | $\ldots \Rightarrow \ldots$, int |
| dup | Duplicate top item on stack. | $\ldots$, val $\Rightarrow$...,val, val |
| iadd | Add two ints on stack. | $\ldots$...,int, int $\Rightarrow$..., int |
| iaload | Load int element from array onto stack. | $\ldots$...ref, index $\Rightarrow$...val |
| iastore | Store int element into array from stack. | $\ldots$...ref, index, val $\Rightarrow$... |
| iconst_c | Load integer constant c onto stack. | $\ldots \Rightarrow \ldots$, int |
| idiv | Divide two ints on stack. | $\ldots$, int, int $\Rightarrow$..., int |
| iload $n$ | Load int from local variable $n$ onto stack. | $\ldots \Rightarrow$..., int |
| imul | Multiply two ints on stack. | $\ldots$.., int, int $\Rightarrow$...,int |
| ineg | Negate int on stack. | $\ldots$, int $\Rightarrow$..., int |
| invokeinterface | Invoke interface method. | $\ldots$. . oref[val, [val, ...]] $\Rightarrow$ [val] |
| invokespecial | Invoke special instance method (e.g. initialisation). | $\ldots$. . oref[val, [val, . . $]$ ] $\Rightarrow$ [val] |
| invokestatic | Invoke static method. | $\ldots[\mathrm{val},[\mathrm{val}, \ldots]] \Rightarrow[\mathrm{val}]$ |
| invokevirtual | Invoke instance method. | $\ldots$...oref[val, [val, ...]] $\Rightarrow$ [val] |
| ireturn | Return int from method. | $\ldots$...int $\Rightarrow$... |
| istore $n$ | Store int into local variable $n$ from stack. | $\ldots$..., int $\Rightarrow$... |
| isub | Subtract two ints on stack. | $\ldots$, int, int $\Rightarrow$..., int |
| if<cond> | Branch if int comparison with zero succeeds. | $\ldots$...int $\Rightarrow$... |
| if_acmp<cond>d | Branch to $d$ if reference comparison succeeds. | $\ldots, \mathrm{ref}, \mathrm{ref} \Rightarrow \ldots$ |
| if_icmp<cond>d | Branch to $d$ if int comparison succeeds. | $\ldots$...int, int $\Rightarrow$... |
| ldc $C$ | Load constant (e.g. integer or string) $c$ on stack. | $\ldots \Rightarrow$..., int |
| new $C$ | Create a new object of class $C$. | $\ldots \Rightarrow \ldots$, ref |
| gotod | Branch unconditionally to $d$. | . $\Rightarrow$ |
| pop | Pop top item off stack. | $\ldots, \mathrm{val} \Rightarrow \ldots$ |
| return | Return from method. | $\ldots \Rightarrow \ldots$ |
| sipush c | Load integer word constant c onto stack. | $\ldots \Rightarrow \ldots$, int |

$\qquad$

## Appendix B: x86_64 Machine Instructions

| movq \$c, \%rax | Assign constant c to rax register |
| :---: | :---: |
| movq \%rax, \%rdi | Assign register rax to rdi register |
| addq \$c, \%rax | Add constant c to rax register |
| addq \%rax, \%rbx | Add rax register to rbx register |
| subq \$c, \%rax | Substract constant c from rax register |
| subq \%rax, \%rbx | Subtract rax register from rbx register |
| cmpq \$0, \%rdx | Compare constant 0 register against rdx register |
| cmpq \%rax, \%rdx | Compare rax register against rdx register |
| movq \%rax, (\%rbx) | Assign rax register to dword at address rbx |
| movq (\%rbx), \%rax | Assign rax register from dword at address rbx |
| movq 4(\%rsp),\%rax | Assign rax register from dword at address rsp+4 |
| movq \%rdx, (\%rsi,\%rbx, 4) | Assign $r d x$ register to dword at address $r$ s $i+4 * r b x$ |
|  |  |
| pushq \%rax | Push rax register onto stack |
| pushq \%c | Push constant c onto stack |
| popq \%rdi | Pop qword off stack and assign to register rdi |
|  |  |
| jz target | Branch to target if zero flag set. |
| jnz target | Branch to target if zero flag not set. |
| jl target | Branch to target if less than (i.e. sign flag set). |
| jle target | Branch to target if less than or equal (i.e. sign or zero flags set). |
|  |  |
| ret | Return from function. |

$\qquad$

## SPARE PAGE FOR EXTRA ANSWERS

Cross out rough working that you do not want marked.
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